Query Execution: Part 9

Review

The Measures:

- I/O cost: the number of disk accesses needed for the algorithm. This number does not include any disk accesses required to produce/store final output of the algorithm. It does include any disk write operations necessary to store intermediate information on disk.
- **Memory**: the largest number of memory buffers that can be occupied by the data during the execution of the algorithm.
- **Constraint**: the restriction (typically on the sizes of input relations) which guarantees that the algorithm is feasible/applicable.

The Parameters:

- M: size of the main memory buffer space.
- ullet B(R): number of disk blocks used to store relation R on disk.
- T(R): number of tuples in relation R.
- $V(R, A_1, \ldots, A_k)$: number of unique value combinations for attributes A_1, \ldots, A_k of relation R.

Selection

Category	Algorithm	I/O cost	Memory	Constraint	Note
One-pass, tuple-at-a-time	OnePassSelection	B(R)	O(1)	none	
Index-based		$B(I) + \frac{B(R)}{V(R,A)}$	O(1)	none	clustered relation, index
					on selection attribute
		$B(I) + \frac{T(R)}{V(R,A)}$	O(1)	none	unclustered relation, index
		, (==,==)			on selection attribute

Projection

Category	Algorithm	I/O cost	Memory	Constraint	Note
One-pass, tuple-at-a-time	OnePassProjection	B(R)	O(1)	none	

Duplicate Elimination

Category	Algorithm	I/O cost	Memory	Constraint	Note
One-pass, full-relation	OnePassDuplicateElimination	B(R)	O(M)	$B(\delta(R)) \le M$	
two-pass, sort-based		3B(R)	O(M)	$B(R) \leq M^2$	
two-pass, hash-based		3B(R)	O(M)	$B(R) \leq M^2$	
multipass, sort-based		(2k-1)B(R)	O(M)	$B(R) \le M^k$	
multipass, hash-based		(2k-1)B(R)	O(M)	$B(R) \le M^k$	

Grouping and Aggregation

Category	Algorithm	I/O cost	Memory	Constraint	Note
One-pass, full-relation	OnePassGrouping	B(R)	O(M)	$B(\gamma_L(R)) \le M$	
two-pass, sort-based		3B(R)	O(M)	$B(R) \le M^2$	
two-pass, hash-based		3B(R)	O(M)	$B(R) \le M^2$	
multipass, sort-based		(2k-1)B(R)	O(M)	$B(R) \le M^k$	
multipass, hash-based		(2k-1)B(R)	O(M)	$B(R) \le M^k$	

Bag Union

Category	Algorithm	I/O cost	Memory	Constraint	Note
One-pass, full-relation	OnePassBagUnion	B(R) + B(S)	O(1)	none	

Set Union

Category	Algorithm	I/O cost	Memory	Constraint	Note
One-pass, full-relation	OnePassSetUnion	B(R) + B(S)	O(M)	$B(S) \leq M$	
two-pass, sort-based		3(B(R) + B(S))	O(M)	$B(S) + B(R) \le M^2$	
two-pass, hash-based		3(B(R) + B(S))	O(M)	$\min(B(S), B(R)) \le M^2$	
multipass, sort-based		(2k-1)(B(R)+B(S))	O(M)	$B(R) + B(S) \le M^k$	
multipass, hash-based		(2k-1)(B(R)+B(S))	O(M)	$\min(B(R), B(S)) \le M^k$	

Bag Intersection

Category	Algorithm	I/O cost	Memory	Constraint	Note
One-pass, full-relation	BagIntersection	B(R) + B(S)	O(M)	$B(S) \leq M$	
two-pass, sort-based		3(B(R) + B(S))	O(M)	$B(S) + B(R) \le M^2$	
two-pass, hash-based		3(B(R) + B(S))	O(M)	$\min(B(S), B(R)) \le M^2$	
multipass, sort-based		(2k-1)(B(R)+B(S))	O(M)	$B(R) + B(S) \le M^k$	
multipass, hash-based		(2k-1)(B(R)+B(S))	O(M)	$\min(B(R), B(S)) \le M^k$	

Set Intersection

Category	Algorithm	I/O cost	Memory	Constraint	Note
One-pass, full-relation	SetIntersection	B(R) + B(S)	O(M)	$B(S) \leq M$	
two-pass, sort-based		3(B(R) + B(S))	O(M)	$B(S) + B(R) \le M^2$	
two-pass, hash-based		3(B(R) + B(S))	O(M)	$\min(B(S), B(R)) \le M^2$	
multipass, sort-based		(2k-1)(B(R)+B(S))	O(M)	$B(R) + B(S) \le M^k$	
multipass, hash-based		(2k-1)(B(R)+B(S))	O(M)	$\min(B(R), B(S)) \le M^k$	

Bag Difference

Category	Algorithm	I/O cost	Memory	Constraint	Note
One-pass, full-relation	BagDifference	B(R) + B(S)	O(M)	$B(S) \leq M$	
two-pass, sort-based		3(B(R) + B(S))	O(M)	$B(S) + B(R) \le M^2$	
two-pass, hash-based		3(B(R) + B(S))	O(M)	$\min(B(S), B(R)) \le M^2$	
multipass, sort-based		(2k-1)(B(R)+B(S))	O(M)	$B(R) + B(S) \le M^k$	
multipass, hash-based		(2k-1)(B(R)+B(S))	O(M)	$\min(B(R), B(S)) \le M^k$	

Set Difference

Category	Algorithm	I/O cost	Memory	Constraint	Note
One-pass, full-relation	SetDifference	B(R) + B(S)	O(M)	$B(S) \leq M$	
two-pass, sort-based		3(B(R) + B(S))	O(M)	$B(S) + B(R) \le M^2$	
two-pass, hash-based		3(B(R) + B(S))	O(M)	$\min(B(S), B(R)) \le M^2$	
multipass, sort-based		(2k-1)(B(R)+B(S))	O(M)	$B(R) + B(S) \le M^k$	
multipass, hash-based		(2k-1)(B(R)+B(S))	O(M)	$\min(B(R), B(S)) \le M^k$	

Product

Category	Algorithm	I/O cost	Memory	Constraint	Note
One-pass, full-relation	OnePassBagProduct	B(R) + B(S)	O(1)	$B(S) \le M$	
Nested loop		$\frac{B(R) \cdot B(S)}{M}$	M	none	

Join

Category	Algorithm	I/O cost	Memory	Constraint	Note
One-pass, full-relation	OnePassJoin	B(R) + B(S)	O(M)	$B(S) \leq M$	
	NaiveOnePassJoin				
Nested loop	TupleJoin	$T(R) \cdot T(S)$	O(1)	none	
	BlockNestedLoopsJoin	$O\left(\frac{B(R)\cdot B(S)}{M}\right)$	M	none	
two-pass, sort-based		3(B(R) + B(S))	O(M)	$B(S) + B(R) \le M^2$	
two-pass, hash-based		3(B(R) + B(S))	O(M)	$\min(B(S), B(R)) \le M^2$	
multipass, sort-based		(2k-1)(B(R)+B(S))	O(M)	$B(R) + B(S) \le M^k$	
multipass, hash-based		(2k-1)(B(R)+B(S))	O(M)	$\min(B(R), B(S)) \le M^k$	
index-based	zigzgagJoin	$O\left(\frac{T(R)\cdot T(S)}{V(S,Y)}\right)$	M	index	unclustered
		$O\left(\frac{B(R) \cdot B(S)}{V(S,Y)}\right)$	M	index	clustered